

the substantial infill, including wrinkle-ridged plains material (unit *Npr*). In certain locations, unit *Npr* is indicated to be up to ~ 2.7 km thick by ghostcrater- and structural wrinkle ridge-analyses. For a range of $\theta = 50$ to 60° and $D = 1.5$ to 4.2 km, S would be ~ 0.9 to 7 km. Assuming the geographic extent of unit *Nml* across ~ 205 km to be the minimum diameter of the sagged plug, this results in a strain $\epsilon_{(plug)}$ of ~ -0.4 to -3.4% .

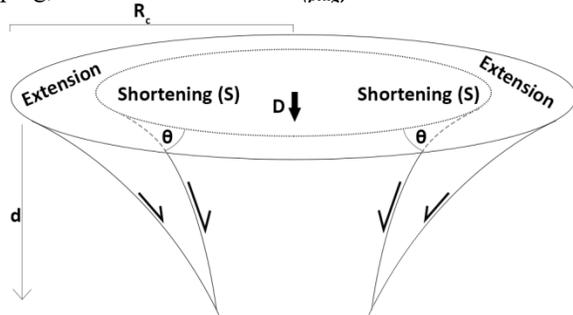


Figure 2: Schematic illustration of a funnel-type caldera structure including geometric parameters explained in the text.

Depth of the magma chamber: According to terrestrial observations [10,12,13], laboratory experiments [7,10], and numerical models [8,9,11], funnel-type calderas (Fig. 2) with inward-dipping ring faults tend to form above collapsing magma chambers whose roof depth d is larger than their radius. This geometry would create a radial compressive stress field in the interior plug of the caldera, which is in agreement with an earlier axisymmetric finite element model of the stress field in Zeus Patera, the oldest and largest of Olympus Mons' summit calderas [6]. Here, concentric ridges are found in the caldera center out to half its radius R_C , whereas the outer half hosts only concentric graben, thus indicating a transition from compressional to extensional stresses at $\sim 0.5 R_C$. The model showed that the surface stress is not strongly sensitive to the magma chamber's aspect ratio, internal pressure, or stiffness relative to its surroundings, but highly dependent on the radius and depth of the chamber. Therefore, this stress transition at a certain fraction of R_C can be used to estimate the depth d to the roof of the magma chamber (assuming its width to equal that of the caldera). For Pityusa Patera, the fraction of R_C at which surface stresses transition is not as straightforward to determine, but can be constrained by unit *Nml*, which our observations indicate to have undergone folding by a stress field that did not occur outside the caldera. Unit *Nml* extends up to ~ 100 km from the caldera center, for which we estimate a physiography-based best-fit radius R_C of ~ 115 km. This results in a radius fraction of ~ 0.86 , which, according to the model by [6], would correspond to a magma chamber depth d of $0.5 R_C = 57.5$ km. This should be regarded as a maximum estimate, as the magma chamber radius is assumed to equal that of the

caldera, but is likely smaller in a deep-seated funnel-type scenario [7,10,11].

Discussion & Conclusions: Pityusa Patera is unique not only because of its size and age, but also the exclusive occurrence of lobately lineated massifs (unit *Nml*). Interpreting these lineations to be surface expressions of folded layers, we estimated that *Nml* experienced a strain of $\epsilon_{(Nml)} \approx -1.2$ to -2.2% caused by a stress field that appears to have been confined to the patera. We suggest that this stress field was caused by the formation of the patera as a caldera, i.e., by subsidence initiated by the collapse of an underlying magma chamber. For a funnel-type setting (inward-dipping ring faults), we calculated that the plug at the center of the caldera floor would have experienced a strain of $\epsilon_{(plug)} \approx -0.4$ to -3.4% , thus being a viable scenario to explain unit *Nml* and $\epsilon_{(Nml)}$.

Using the axisymmetric finite element model by [6] and our mapping of unit *Nml*'s extent (as a proxy to ascertain the geographic extent of shortening within Pityusa Patera), we were also able to offer an maximum estimate of 57.5 km for the depth of the magma chamber whose collapse might have formed the patera. This depth would correspond to current crustal thickness models [14], which predict a moderate local thinning within Pityusa Patera to ~ 55 to 60 km. Although crustal thickness might have been different during patera formation at ≥ 3.8 Ga, models suggest it has not changed much within the last ~ 4 Ga [e.g., 15], therefore putting the Pityusa magma chamber at the crust-mantle boundary. This contrasts with Olympus Mons or comparable volcanoes on Earth such as Hawaii, whose magma chambers were estimated to be within the edifice, i.e., at depths of ≤ 16 km [e.g., 6]. Terrestrial crust-mantle-boundary magma chambers with attributed surface activity have been suggested for some volcanoes of the Cascades in northern California [16]. Here, olivine tholeiites are created at ~ 36 to 66 km depth, possibly a result of mantle flows being deflected by the underlying subducting slab of the Farallon plate. As for Pityusa Patera, an up to ~ 57.5 km deep magma chamber that is collapsing via depressurization (and thus likely feeding surface activity) would be in good agreement with predicted mantle-fed volcanism facilitated by deep ring fractures and mantle upwelling caused by the Hellas impact event [e.g., 3,17]. If unit *Nml* represents deposits (e.g., ignimbrites) derived from such a mantle source, good hyperspectral CRISM observations revealing corresponding signatures (e.g., high-Mg olivine) that are spatially associated with *Nml*'s layers could be vital to further this discussion.

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