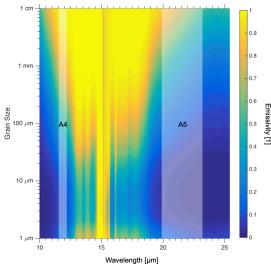
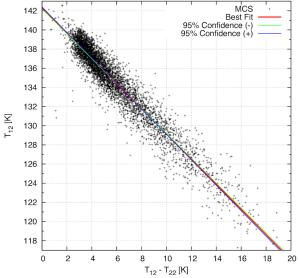
Atmospheric CO<sub>2</sub> Depletion at the Surface in the Polar Regions of Mars. S. Piqueux<sup>1</sup>, A. Kleinböhl<sup>1</sup>, P. O. Hayne<sup>2</sup>, D. M. Kass<sup>1</sup>, N. Heavens<sup>3</sup>, D. J. McCleese<sup>5</sup>, M. I. Richardson<sup>4</sup>, J. T. Schofield<sup>5</sup>, J. Shirley<sup>1</sup>, <sup>1</sup>Jet Propulsion Laboratory, California Institute of Technology, USA, <sup>2</sup>University of Colorado, Boulder, USA; <sup>3</sup>Hampton University, USA; <sup>4</sup>Aeolis Research, USA; <sup>5</sup>JPL Retired.

**Introduction:** The yearly waning and waxing of the seasonal polar caps represents one of the most dramatic expression of the  $CO_2$  cycle on Mars, with massive amounts of carbon dioxide cyclically exchanged between the atmosphere and the surface [1]. As  $CO_2$  condenses on the surface in the local Fall and Winter, non-condensable species remain and accumulate in the atmospheric column, resulting in a decrease of the  $CO_2$  partial pressure and thus a lowering of the  $CO_2$  frost point temperature  $T_{CO2}$  [2]. We determine the lowering of  $T_{CO2}$ , and discuss its impact on the polar energy budget and regional circulation.

**Methods:** To determine  $T_{CO2}$ , we bin Mars Climate Sounder (MCS) on Mars Reconnaissance Orbiter [3] retrieved surface temperatures acquired near 22 ( $T_{22}$ ) and 12 µm ( $T_{12}$ ) over the Polar Regions ( $10^{\circ}$  in latitude and  $10^{\circ}$  Ls). In order to obtain kinetic surface temperatures, we perform a necessary emissivity correction [4] because  $CO_2$  ice emissivity depends strongly on crytal size. The emissivity correction relies on the unique spectral properties of  $CO_2$  ice at 12 and 22 µm (Fig. 1), resulting in a quasi linear relationship between  $T_{12}$  and  $T_{12} - T_{22}$  (see [4], and Fig. 2). When  $T_{12} = T_{22}$  (intercept of the regression line), the surface emissivity must approach 1, and the brightness temperature equals the kinetic temperature  $T_{CO2}$ .



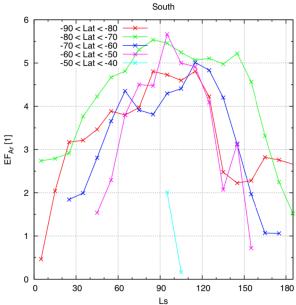
**Fig. 1**: Modeled  $CO_2$  ice emissivity as a function of crystal size and wavelength (emission angle of  $70^{\circ}$ , typical of MCS). MCS Channels A4 ( $T_{12}$ ) and A5 ( $T_{22}$ ) are indicated in white.



**Fig. 2**: Example of derivation for  $T_{CO2}$  for data at  $110^{\circ}$ < $L_{S}$ < $120^{\circ}$ ,  $-90^{\circ}$ < $L_{A}$  at titude< $-80^{\circ}$ . Where  $T_{12} = T_{22}$ , the surface emissivity is 1 and  $T_{12} = T_{CO2}$ . In this example, the 95% confidence is very small, < 0.1K

Surface CO<sub>2</sub> ice contamination by dust and H<sub>2</sub>O ice do not measurably interfere with a successful derivation of T<sub>CO2</sub> because they yield emissivities around 1 at 22 and 12 μm. Uncertainties are determined by fitting 95% confidence regression lines (Fig. 2). We then compare T<sub>CO2</sub> with the theoretical surface frost point temperature calculated using the output of a General Circulation Model and Clapeyron's law [5], and convert the temperature depression to an equivalent CO<sub>2</sub> partial pressure. From here, we calculate the enrichment in non-condensable gases, expressed here as the Ar enhancement factor EF<sub>Ar</sub> (Fig. 3 and 4).

**Results:** In the South (Fig. 3), near-surface noncondensable gasses enhancement peaks at ~5.5 (Ls~90°) a value indicative of static instability and likely vertical mixing of the entire atmospheric column [6]. Indeed, column integrated Ar concentrations display similar values, e.g, 5<EF<sub>Ar</sub><6 based on data analysis from the Mars Odyssey Gamma Ray Spectrometer (GRS) [7], confirming the expected vertical diffusion. Surface depletion poleward of 50°S are homogenous, in contrast with GRS data that found modest depletion in the 75°S to 60°S latitude band, and no detectable depletion equatorward of 60°S.



**Fig. 3**: Surface  $CO_2$  depletion expressed as the equivalent Ar enhancement factor ( $EF_{Ar}$ ) over the South seasonal cap. Error bars are not shown for clarity, but generally correspond to  $\pm 1$   $EF_{Ar}$  unit.

In the North, we find even higher enrichment values (Fig. 5, up to  $\sim$ 7 near Ls $\sim$ 240°) in contrast with the quasi-absence of noticeable Ar enrichment reported [7] or modeled [8], e.g.,  $0 < EF_{Ar} < 2$  derived from a  $\sim$ 3K depression of the frost point.. This difference suggests a depleted layer confined near the ground by an unmodeled atmospheric configuration, for example the presence of a near-surface inversion layer.

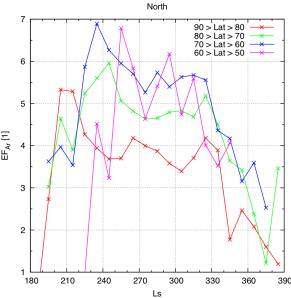
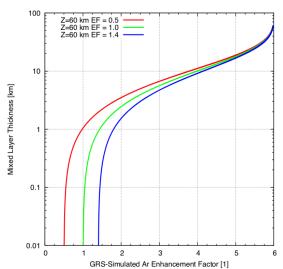


Fig. 4: Same as Fig. 3, but for the North.

Conclusions: The kinetic temperature of the North and South seasonal ice caps is derived, and shown to be depressed by up to ~3 K. This depression is interpreted as an enrichment of non-condensable gasses by factors up ~7 EF<sub>Ar</sub>. While surface enrichments are similar to column integrated concentrations in the South [7], a strong near-surface depletion in the North is consistent with confinement near the ground. A simplistic two layer atmospheric model shows that the depleted surface layer cannot exceed a few km in thickness (Fig. 5) without driving the column integrated depletion values above observed numbers [7]. The presence of an un-modeled lower atmosphere phenomenon/configuration prevents buoyant depleted gas from rising away from the surface layer.

The measured  $\sim$ 3 K surface temperature decrease due to non-condensable enrichment has a modest effect on the CO<sub>2</sub> frost radiative balance, only decreasing the emission by  $\sim$ 9%. Other factors affecting the cooling to space (e.g., low CO<sub>2</sub> ice emissivity associated with snowfalls, clouds, etc.) will have a larger impact.

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**Fig. 5**: Near-surface depleted layer thickness vs. column integrated (GRS-simulated, i.e., well mixed enrichment)  $EF_{Ar}$  for a 2 layer atmosphere model, three upper layer enhancement cases ( $EF_{Ar} = .5, 1., 1.4$ ).

**References:** [1] Leighton and Murray, 1966, *Science*, 153; [2] Kieffer et al., 1976, *Science*, 193; [3] McCleese et al., 2007, *JGR*, 112; [4] Hayne et al., 2012, *JGR*, 117; [5] James et al., 1992, *Mars*, 934-968; [6] Hess et al., 1979, *JGR*, 84; [7] Nelli et al., 2007, *JGR*, 112; [8] Lian et al., 2012, *Icarus*, 218.